Acta Cryst. (1966). 20, 330

The Crystal Structure of CsI₂Br

BY GENE B. CARPENTER

Metcalf Laboratories, Brown University, Providence, Rhode Island 02912, U.S.A. and Laboratorium voor Structuurchemie, Rijksuniversiteit, Bloemsingel 10, Groningen, The Netherlands

(Received 23 March 1965 and in revised form 13 August 1965)

The structure of CsI₂Br has been determined by X-ray diffraction. The unit cell is orthorhombic, space group *Pmcn*, with dimensions a=6.634 (0.008), b=9.567 (0.012), and c=10.958 (0.008) Å, where the quantities in parentheses are standard deviations. The cell contains 4 formula units and all atoms lie on mirror planes. The structure was refined by three-dimensional least squares to R=0.056. The anion dimensions are Br-I(2)=2.906 and I(2)-I(3)=2.777 Å, and Br-I(2)-I(3)=178.0°. The compound is isostructural with CsI₃.

Introduction

The structure of CsI_2Br has been studied for comparison with that of CsI_3 (Tasman & Boswijk, 1955, hereafter referred to as TB; Mooney, 1935) and to verify that the anion is $(I-I-Br)^-$ as expected. Cesium triiodide is one of the unsymmetrical triiodides; structural data for related compounds should help to interpret the forces acting to distort the ion and the bonding in the ion. A comprehensive review of the structures of polyhalides has been presented by Wiebenga, Havinga & Boswijk (1961).

Early optical study of CsI_2Br and CsI_3 , as well as other polyhalides, by Wells & Penfield (1892; hereafter referred to as WP) indicated them to be orthorhombic and isostructural.

Description and discussion of the structure

X-ray diffraction data show that CsI_2Br is isostructural with CsI_3 , the structure of which was determined by Mooney (1935) and refined by TB. Crystal data and atomic parameters are set out in subsequent sections. The structure is illustrated in Fig. 1, and important interatomic distances are given in Table 1.

Table 1. Interatomic distances in CsI₂Br

All distances are in Å and are not corrected for the effects of thermal motion. The non-bonded distances are those indicated by dashed lines in Fig.1. They are listed clockwise, starting at the top, around each atom, except that repetitions are omitted.

Br-I(2)	2.906	I(2)-(I3)	2.777
CsI(3)	4·050 (2×)	CsBr	3.581
CsBr	3.672	I(2)I(3)	$4.311 (2 \times)$
CsI(3)	3.993	I(2) I(2)	4.407 (2×)
CsBr	3·748 (2×)	I(2) I(3)	3.923
CsI(3)	3.948	BrI(3)	3.965
CsI(2)	4·041 (2×)		

The standard deviation in an interatomic distance amounts to about 0.2% of the distance, when the contributions from axial length errors are included. The most prominent feature is the triatomic anion I_2Br^- . Comparison of the bond lengths in CsI₂Br,

$$Br^{2.906}I(2)^{2.777}I(3)$$

with those in CsI_3 ,

$$I(1)^{3.04}I(2)^{2.83}I(3)$$
,

shows two features. (1) The I(2)–I(3) bond is shorter in I₂Br⁻, and thus closer to the bond length 2.68 Å in crystalline I₂ (Kitaigorodskii, Khotsyanova & Struchkov, 1953) or the length 2.66 Å in the vapor (Karle, 1955). (2) The Br–I(2) bond is longer than would be expected merely from the I(1)–I(2) bond length and the fact that the covalent radius of bromine is about 0.20 Å less than that of iodine. These features suggest that the I₂Br⁻ structure is closer to the situation described as Br⁻ plus I₂ than is the I₃⁻ structure to I⁻ plus I₂. This is just what would be expected from the greater electronegativity of bromine relative to iodine. The bromine atom is bonded, nevertheless, to I(2) because their separation is far less than the sum of van der Waals



Fig. 1. The structure of CsI₂Br projected onto the *bc* plane. The heavily outlined atoms lie at $x=\frac{1}{4}$, the lightly outlined ones at $x=-\frac{1}{4}$ or $\frac{3}{4}$. *c*-Glide planes are located at $y=\frac{1}{4}$ and $\frac{3}{4}$, *n*-glide planes at $z=\frac{1}{4}$ and $\frac{3}{4}$. The dashed lines are nonbonded distances; a double dashed line indicates two distances, to atoms above and below the plane at the heavily outlined atoms.

radii, 4.1 Å. This polarization of I_2Br^- inferred from bond lengths receives some support from the fact that the bromine atom occupies a site of higher electrostatic potential than does iodine atom I(3); the sum of 1/rvalues for the four nearest cesium ions in each case amount to 1.085 at Br, 0.999 at I(3). (The corresponding values in CsI₃ are 1.046 and 0.971). Some feeling for the significance of this difference may be gained by noting that if half an electron, for example, is moved from I(3) to Br, the electrostatic energy is reduced by 14 kcal.mole⁻¹.

The bond angle Br-I(2)-I(3) is $178 \cdot 0^\circ$, deviating from linearity in the direction which displaces I(2) toward the center of the unit cell. The corresponding angle is $176 \cdot 3^\circ$ in CsI₃.

Table 1 includes all non-bonded distances less than 4.5 Å. The values must be compared with the corresponding sum of ionic or van der Waals radii, namely, 3.64 Å for Cs \cdots Br, 3.84 for Cs \cdots I, 4.10 for Br \cdots I, and 4.30 for $I \cdots I$. The only distances shorter than the expected van der Waals distances are $Cs \cdots Br =$ 3.581, Br · · · I(3) = 3.965, and I(2) · · · I(3) = 3.923 Å. The last of these is the most striking, being almost 0.4 Å shorter than the normal van der Waals distance. This, plus the fact that atom I(2) is not far from collinear with the ion to which I(3) belongs, suggests a description of the bonding in the group Br-I(2)- $I(3) \cdots I(2)$ as 4-center, 6-electron bonding (Rundle, 1963). Short 'nonbonded' I · · · I distances are, of course, common. One of the more extreme examples is provided by iodine monochloride in both α (Boswijk, van der Heide, Vos & Wiebenga, 1956) and β forms (Carpenter & Richards, 1962) where the shortest $I \cdots I$ distances are 3.08 and 3.06 Å, respectively.

All interatomic distances quoted previously are uncorrected for the effects of thermal motion. Application of Cruickshank's (1956) analysis of the atomic displacements into rigid-body motions seems to be inappropriate for the anion because the atom (bromine) farthest from the center of mass of the ion does not exhibit the largest amplitudes (*cf.* Table 2). Application of the Busing & Levy (1964) analysis is straightforward, but there is no adequate basis here for knowing what kind of correlation is present between the thermal displacements of bonded atoms. For Br–I(2), the latter analysis gives 2.907 Å as lower bound, 2.942 as upper bound and

Table 2. Final parameters for CsI_2Br

All atoms lie on the mirror plane at $x = \frac{1}{4}$, and $U_{12} = U_{31} = 0$. All values have been multiplied by 10⁴. Coordinates are in fractions of cell edges and vibration tensor components in $Å^2$. Beneath each value is the corresponding standard deviation.

Atom	у	z	U_{11}	U_{22}	U_{33}	$2U_{23}$
Cs	4506	8357	337	498	390	-117
	3.3	2.6	46	17	13	26
Br	3670	1628	263	328	286	- 99
	4.6	3.7	68	20	18	32
I(2)	5495	3749	128	338	325	86
	2.9	2.4	46	12	12	22
I(3)	7318	5721	306	335	421	-138
	3.1	2.7	47	13	15	23

2.924 for uncorrelated motion. Similarly for I(2)–I(3) the values are 2.778, 2.818, and 2.798 Å respectively. In the absence of more information, the values for uncorrelated motion of the atoms probably represent the best estimates of bond distances here.

Experimental

Sample preparation

Crystals of CsI₂Br were prepared according to the method of WP by adding iodine to cesium bromide dissolved in a mixture of alcohol and water. In view of difficulties experienced previously in attempting to prepare N(CH₃)₄I₄Br, care was taken to verify that the product was the desired one and not CsI₃. Analysis showed I, 51·1 (calc. 54·39)%, Br, 17·2 (calc. 17·13)%, and preliminary photographs prepared from several medium-sized crystals exhibited distinct differences from photographs of CsI₃.

Unit cell

Preliminary rotation and Weissenberg photographs showed that CsI_2Br is orthorhombic and isostructural with CsI_3 , and provided approximate cell dimensions. This confirms the conclusions of WP. The axes are labelled to correspond to those used for CsI_3 by TB.

A powder sample, to which silicon powder had been added for calibration purposes, was examined with copper radiation in a Philips diffractometer. On the basis of the approximate cell dimensions, ten powder lines in the range $\theta < 17^{\circ}$ could be indexed unambiguously as individual reflections, and two silicon lines appeared in the useful region. The axial lengths were then adjusted by the method of least squares to reproduce as well as possible the measured values of $(\sin \theta)^2$. The results are

$$a = 6.634, b = 9.567, c = 10.958 \text{ Å}$$

with standard deviations respectively 0.008, 0.012, and 0.008 Å. Since the indexed lines are at rather small angles, the systematic errors may be as large as the random errors which these figures indicate. Consequently it is estimated that more realistic measures of accuracy are estimated standard deviations double those from least squares, namely 0.016, 0.024, and 0.016 Å in *a*, *b*, and *c* respectively. The calculated axial ratios 0.6934:1:1.1454 agree satisfactorily with values 0.6916: 1:1.1419 determined by optical goniometry (WP).

The density of CsI_2Br may be roughly estimated as 4.4 g.cm^{-3} by interpolation between the pycnometric values for CsI_3 and $CsIBr_2$ reported by Bozorth & Pauling (1925). The X-ray value, on the assumption of 4 formula units per cell, is 4.456 g.cm^{-3} , thus confirming the assumption.

Space group

The systematic absences h0l for l odd and hk0 for h+k odd imply either space group $P2_1cn$ or Pmcn (*Pnma* relabelled). The crystal morphology (WP) seems

to be centrosymmetric, so Pmcn was assumed here, as for CsI₃ (TB). The subsequent refinement verifies this choice.

Structure factor magnitudes

All intensities were measured with a single small well-formed crystal having dimensions $0.15 \times 0.08 \times 0.12$ mm along *a*, *b*, and *c*, respectively. It was mounted to rotate about *c*.

Intensities were measured on multiple-film integrated equi-inclination Weissenberg photographs by means of a Nonius microdensitometer. Weak spots were measured by visual comparison of spots on strongly exposed non-integrated photographs with a set of standard spots. Ilford film types Industrial G, B, and C were placed one behind the other in the film holder and exposed simultaneously with zirconium-filtered Mo $K\alpha$ radiation. The layers h=0, 1, 2, and 3 were measured, as well as a special integrated Weissenberg photograph containing a 35° sample from each layer. This last record enabled the intensity values from the four layers to be placed on the same scale. It also showed that some deterioration of the crystal had occurred during the exposures; the strong spots had become relatively more intense than on earlier films because of reduced extinction. For this reason, as well as because the xcoordinates of the structure were known from symmetry grounds, higher h levels were not measured.

The intensities were corrected approximately for absorption by means of a computer program devised for two-dimensional corrections for zero-layer data from crystals with uniform cross-section perpendicular to the rotation axis. It was applied to upper layers by using an increased absorption coefficient to simulate the effect of increased path length. An inadvertent blunder provided an interesting measure of success of this absorption correction. Initially the orientation of the crystal was introduced 90° away from its correct orientation about the rotation axis so that the longer and shorter crystal dimensions in the cross section were interchanged. When this error was corrected during the refinement, the usual discrepancy index R (for observed reflections only) dropped immediately from 16%to 10%.

Structure factor magnitudes were then extracted from the corrected intensities in the usual way. Finally the various values from symmetrically equivalent reflections were averaged; in most cases, two or three values contributed to the average. A total of 367 independent reflections were measured.

The refinement

Since CsI_2Br is isostructural with CsI_3 , the atomic coordinates of the latter (TB) were used as a first approximation. All atoms are in special positions 4(c), the mirror planes at $x=\frac{1}{4}$ and $\frac{3}{4}$.

Initial refinement was carried out with h=0 data. First the electron density projection was calculated with signs from CsI₃ for all but the smaller structure factors. The result appeared generally reasonable and the peak corresponding to I(1) in CsI₃ was significantly lower than the others and so probably bromine. This atom was identified as bromine for a structure factor calculation, and another Fourier synthesis was evaluated with inclusion of all observed structure factors. The refined parameters gave R = 24% at this stage. Thereafter numerous cycles of isotropic least squares refinement led to nearly complete convergence at R = 8.6%. Extra cycles were needed as a result of correcting the absorption corrections (described in the Experimental part) and to verify that the proper atom had been identified as bromine. A parallel refinement with all halogen atoms identified as iodine converged to R =13.2%, a convincingly poorer result.

At this point data from higher layers were included and least-squares refinement was resumed on the XI computer at Leiden with the block-diagonal leastsquares program of Drs E. Rutten-Keulemans. Convergence was achieved in seven cycles of refinement, including anisotropic temperature factor parameters. A fraction 0.8 of calculated coordinate shifts, 0.6 of calculated temperature parameter shifts, were applied. Subsequently it was apparent that use of full shifts would have accelerated the convergence, so full shifts were applied at the last cycle to obtain the final parameters. The largest coordinate change from the result of the h=0 refinement was 0.01 Å, and the average change was 0.005 Å. The coordinates differ from those of CsI₃ by an average of only 0.05 Å, but the maximum change, for $v(Cs) \times b$, amounts to 0.13 Å.

The final parameters of the structure are given in Table 2. For all atoms $x = \frac{1}{4}$ and $U_{12} = U_{31} = 0$ by symmetry. The standard deviations are those calculated by the least-squares procedure using the diagonal approximation. The labelling of the atoms corresponds to that in Fig. 1 and is like that used for CsI₃.

The observed and calculated structure factors are set out in Table 3. A few corrections of then-obvious errors in the observed values have been made since the last cycle of least squares, chiefly rejection of those reflections too weak to be seen on re-examination of the films; the corrected values are marked. Unobserved reflections were not carried through the refinement, on grounds of efficiency. At the end, threshold values were estimated for 150 unobserved reflections by consideration of minimum observed values in neighboring regions of reciprocal space and of the presence of nearby observed reflections to serve as landmarks. For 21 of the 150 unobserved reflections, the calculated structure factor magnitude is larger than the observed, but never as much as 40% larger. The final value of the conventional discrepancy index, for unweighted observed reflections only, was R = 5.6%.

A final difference synthesis, based on the structure factors in Table 3, showed no peaks higher than 1.71

Table 3. Observed and calculated structure factors for CsI2Br

The values listed are $5F_o$ and $5F_c$. The maximum value for a reflection too weak to observe is given a negative value under F_o . A dash in the F_o column means that the reflection was obscured by the beam stop. Corrected F_o values (see text) are indicated by asterisks.

ĸ	ι	F _o F _o	κι	F _o F _c	Κι	F _o F _c	κι	. F ₀	Fc	κι	F	F	ĸ	LĘ	F
		H = 0	87-1 972	.00 68 38 -263	13 23	512 463 1250 -1272	4 12 5 12	2 -115	63 -157	08 18	176 277	160 254	6 7	3 383 3 -120	353 -125
2	0	607 574 674 669	10 7 -1 11 7 1	20 79 35 139	33 43	539 505 1014 -993	6 12 7 12	2 -120 2 -120	-64 -222	28 38	525 268	-552 -278	8 9	3 408 3 369	410 363
8	0	641 -631 107 -95	0 8 1	91 -192 73 -278	53	316 -310 426 -417	1 1	205 205 3 -120	-197 124	48 58	129	133 -341	10	3 -120 3 -130	93 - 35
10	0	621 -651 246 -287	285	92 595 89 308	73	176 153 447 -479	3 13	5 238	-239	6878	-115	-115	1	4 762 4 -110	• 57
2	1	252 -240	• 8 1 5 8 3	154 -151 159 373	10 3	-110 -106		H = 2		98	-120	113	3	4 -110	-96
4	1	1254 -1308	782	279 288	0 4	949 -977	4 () 576) 568	-594	29	234	196	5	4 605 4 467 6 610	457
67	i	902 -921	981	25 -119	2 4	135 118	8 0) 135) 580	93	49	156	141	7	4 223 4 -120	195
8	1	371 - 395 225 117	292	215 -210	44	1008 -1008 -518	12 0	234	269 -50	6 9 7 9	350 -115	372 -33	9 10	-120 -130	-10
10 11	1 1	227 217 168 -181	491 591	174 -147 174 -173	6 4 7 4	500 498 223 -210	2 1	229 107	214 -73	89 99	-115 281	-29 254	11	4 -140 5 182	-57 194
12	1 2	-120 -30	693 79-1	79 -398 05• 30	8 4 9 4	-115 156 -115 14	4 1 5 1	1104 375	1165 -379	0 10	371 340	390 311	2 3	5 -110 5 377	27 -370
1 2	2	305 299 893 -854	89-1 992	10 25 29 -272	10 4	174 170 -120 63	6 1	814 473	840 464	2 10 3 10	131 90	86 89	4 5	5 -115	31 37
4	2	508 474	1 10 3	371 -338	25	-100 -25	9 1	-110	-108	5 10	-115	-+0 698	7	5 -120	355
67	2	260 -267	3 10 -1	100 -83	45	-100 -25	11 1	203	171	7 10	191	189	9 10	5 188	173
8 9	2	174 157	5 10 7	107 -750 105 33	65	428 -406	1 2	2 250	-244	2 11	215	200	11	5 205	-215
10 11	22	-100• 61 -110 -56	7 10 2	205 -200	8 5 9 5	184 170 215 -217	3 2	836 439	832 -421	4 11 5 11	-120	-152	1 2	5 768	804 253
12	2	-120 103 715 657	2 11 2 3 11 1	232 -212	10 5 11 5	-115 -77 258 242	52	2 525 242	-526 242	0 12 1 12	260 143	-235 122	3	5 221 5 326	162 325
2	3	186 -150 359 -303	4 11 1 5 11 -1	129 138 105 44	0616	844 -850 949 -992	7 2	227 174	203 -142	2 12 3 12	182 -115	155	5	5 393 5 252	380 -240
5	3	160 -151	0 12 2	260 263	36	320 -280 221 -198	10 2	-110	-57	5 12	-120	43	8	5 -120	-61
7	3		2 12 1	107 - 133 129 - 160	56	461 -467	2 3	166	- 345	2 13	-115	-80	10	5 287 5 225 7 457	-242
9 10	3	-100 100 227 246	4 12 -1 5 12 -1	10 -49	76	-110 66 227 198	4 3	701	695 138	4 13	-130	-16	2	7 406 7 516	-418
11 12	3 3	-120 -162 -130 -92	1 13 2 2 13 -1	271 -294 110 87	96 106	260 -289 256 270	6 3	82 191	70 -152	0 14 1 14	-115 -115	-61 -9	4	7 553 7 -120	-578 97
0	-	1563 -1736 869 844	3 13 1 4 13 -1	115 -100 120 -9	1 7 2 7	570 -568 488 493	8 3	373	394 -96	2 14 3 14	-120	147 -142	67	7 -120 7 313	-49 -309
3	-	861 -860	0 14 -1		4 7	650 680	10 3	1389	-227	4 14 5 14	-130	-103	8	7 330	-350
5	4	262 -242	2 14 -1	120 -147 130 153	6 7	-110 58	24	662	674	2 15	-120	-79	1	-115 -115	-256 93 -140
7 8	4	580 -596 258 251	4 14 -1 5 14 2	150 103 275 301	8 7 9 7	371 404 313 318	4 4 5 4	189	161 218		Н = 3		3	552 3 371	-695
9 10	4	242 236 375 365	1 15 2 2 15 -1	252 260 130 84	08	314 319 -110 -106	64	254 518	-229 542	1 0 3 0	352 846	-367 795	5	3 182 3 186	-147 161
11	4	-120 -4 186 225	н	= 1	28	186 172 822 814	84	250	-237	5070	746 -110	-772 98	8	3 359 3 201	-402 192
2	5	326 328 207 -146	10-	- 485	58	139 154	1 5	820	-343	11 0	-110	104	2	260	-268
4	5	752 735 152 -150	5 0 9	20 908 64 -147	78	410 461	3 5	162	136	21	869	-860	4	-120	-53
6 7	5 5	1049 1083 322 313	90-1 110-1	100 -8 20 -117	1929	303 303 322 -327	55	141 930	135	4 1 5 1	424 277	-416 265	6 9	-130	-39 154
8 9	5	154 39 -100 97	1 1 -	- 154	39	-110 -7 -110 56	75	287 -110	-290 -14	6 1 7 1	598 305	-610 -313	0 10) 445) -120	-483 -113
11	5	307 326	415	59 -311 525 498	59	154 139 -115 42	9 5	-110	-90	8 1 9 1	-110	-44	2 10	205	167 -254
0	6	522 497 467 446	6 1 7	21 729	0 10	543 547 145 132	0.6	453	-445		-120	-246 52	5 10	-130	-97
23	6 6	906 943 266 223	8 1 -1 9 1 -1	00 43 00 -72	2 10 3 10	211 -218 277 302	26	799	-843 -214	02	422	-419	7 10	-150	-58
4	6	465 -534 566 549	10 1 2 11 1 -1	81 289 05 -50	4 10 5 10	-110 108 -115 -3	4 6 5 6	486 498	485 -512	22 32	1545 - -110+	-1553 16	21	-120 234	-3 -260
6 7	6 6	268 258 146 129	12 1 2	- + 506	6 10 7 10	125 -144 -120 66	66	262	-237 -142	4 2 5 2	289 359	-268 -343	4 1 5 1	188	147 -131
9 10	6	186 188 -120 -134	2 2 17	19 1996 00 -17	2 11	390 316 -110 2 299 300	86 96		126 -141	62 72	-115	44 84 754	6 1	-140	76 315
11	67	-130• -59 133 -143	4 2 3	63 320 30 431	4 11 5 11	172 -161 150 154	2 1	219	-219	92 102	232	-197	2 1	-120	162
2 3.	7	260 231 381 378	6 2 -1 7 2 1	00+ -46 27 -96	6 11 7 11	-115 -86 346 -362	4 1	-110	64 109	11 2	-120 379	37	4 12 5 12	-130	-58
45	1	-100• -65 -100 -115	8 2 8	32 -883 32 234	0 12	160 151 143 -129	6 1 7 1	223 -115	192 -48	2 3 3 3	1008	1002 -414	1 1 2 1	223	174
7	;	205 -217 88 86	10 2 2	10 -43	2 12 3 12	193 -166 496 -515	8 7 9 7	-115	-63 248	4 3 [°] 5 3	805 279	812 252	3 1	215	209

and no holes deeper than $-2.51 \text{ e.} \text{Å}^{-3}$; these extreme values are found near iodine atoms. The estimated standard deviation in the density amounts to about 0.66 e.Å⁻³ according to the formula of Cruickshank & Rollett (1953). All atomic centers lie on nearly flat regions.

The author acknowledges gratefully: financial support for this work from the Netherlands Organization for Pure Research (Z.W.O.) and from the U.S. Office of Naval Research; the hospitality of Professor Wiebenga in whose laboratory most of this work was done; and the important assistance provided by Mr F.van Bolhuis, Drs R.Olthof-Hazekamp, Drs E.Rutten-Keulemans, Dr G.A. Wiegers, and Dr A. Vos. Thanks are due also to the staffs of the computing centers at Groningen, Leiden, and Providence, where various calculations were performed.

References

- BOSWIJK, K. H., VAN DER HEIDE, J., VOS, A. & WIEBENGA, E. H. (1956). Acta Cryst. 9, 274.
- BOZORTH, R. M. & PAULING, L. (1925). J. Amer. Chem. Soc. 47, 1561.
- BUSING, W. R. & LEVY, H. A. (1964). Acta Cryst. 17, 142. CARPENTER, G. B. & RICHARDS, S. M. (1962). Acta Cryst. 15, 360.
- CRUICKSHANK, D. W. J. & ROLLETT, J. S. (1953). Acta Cryst. 6, 705.
- CRUICKSHANK, D. W. J. (1956). Acta Cryst. 9, 754.
- KARLE, I. L. (1955). J. Chem. Phys. 23, 1739.
- KITAIGORODSKII, A. I., KHOTSYANOVA, T. L. & STRUCHKOV, Y. T. (1953). *Zh. Fiz. Khim.* 27, 780,
- MOONEY, R. C. L. (1935). Z. Kristallogr. 90, 143.
- RUNDLE, R. E. (1963). J. Amer. Chem. Soc. 85, 112.
- TASMAN, H. A. & BOSWIJK, K. H. (1955). Acta Cryst. 8, 59.
- WELLS, H. L. & PENFIELD, S. L. (1892). Z. anorg. Chem. 1, 85.
- WIEBENGA, E. H., HAVINGA, E. E. & BOSWIJK, K. H. (1961). Advanc. Inorg. Chem. 3, 133.

Acta Cryst. (1966). 20, 334

The Crystal Structure of Rh₂Te₃

BY W. H. ZACHARIASEN

Department of Physics, University of Chicago, Chicago, Illinois 60637, U.S.A.

(Received 22 June 1965)

The compound Rh₃Te₂ is orthorhombic, space group *Amam*, with four molecules in the cell, a = 7.694, b = 12.446, c = 3.697 Å.

The structure is of a new type. There are two kinds of rhodium and two kinds of tellurium atom in the structure. The number and mean lengths of the bonds are: Rh_{I} -5Te=2.69 Å, Rh_{I} -4Rh=2.84 Å, Rh_{II} -5Te=2.68 Å, Rh_{II} -5Rh=2.94 Å, Te_{I} -8Rh=2.73 Å, Te_{II} -7Rh=2.66 Å.

Introduction

During a recent visit to the Physics Department of the University of California at San Diego the writer examined X-ray diffraction patterns of numerous preparations in the Rh–Te system. It was shown by indexing of the powder pattern that samples obtained by quenching from the melt at the exact composition Rh_3Te_2 contained a single phase. Small departures from the ideal stoichiometric ratio resulted in two-phase preparations, the second phase being Rh metal on the Rh-rich side and the high-temperature form (NiAs type) of RhTe (Geller, 1954) on the Te-rich side.

Variations in the lattice spacings of Rh_3Te_2 were not observed. It must be concluded that the homogeneity range is very narrow and that the structure is fully ordered.

Upon annealing for days at $450 \,^{\circ}$ C Rh₃Te₂ is transformed into rhodium metal and a new phase of approximate composition Rh:Te $\simeq 1.1$. However, this new phase is not identical with the low temperature form of RhTe.

The structure

The analysis of the powder patterns of Rh_3Te_2 gave an orthorhombic base centered translation lattice A with periods.

 $a = 7.694 \pm 0.004, b = 12.446 \pm 0.008, c = 3.697 \pm 0.002$ Å.

The calculated density with four molecules per cell is $\rho = 10.56$ g.cm⁻³.

The approximate structure was readily deduced from the powder data with the following results:

Space group: Amam 4Me in 4(a): (000) ($\frac{1}{2}$ 00) 4Me in 4(c₁): \pm ($\frac{1}{4}y_1$ 0) with $y_1 \simeq 0.53$ 4Me in 4(c₂): \pm ($\frac{1}{4}y_2$ 0) with $y_2 \simeq 0.745$ 8Me in 8(f): \pm (x_3y_3 0) ($\frac{1}{2} + x_3, \bar{y}_3, 0$)

with $x_1 \simeq 0.06 \ y_1 \simeq 0.34$.

However, it was not possible to distinguish between Rh and Te atoms.

Subsequently one single crystal was isolated from one of the quenched samples. The crystal was 2 mm